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Assessment Methods for the Interestingness of Cube Queries

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Problem and Context

- Given a cube query and prior knowledge (already answered queries or simply user beliefs), how can we assess how interesting a cube query is, based on Interestingness dimensions?
- Context:
 - Cube querying sessions over a multidimensional, hierarchical database
 - The user has prior knowledge about the cube (query history or beliefs)
 - The user devises queries to acquire new information
 - Each query:
 - Is relevant or not with respect to user's information goal
 - Is different or similar to the queries of the history
 - Contradicts or reinforces the user's beliefs
 - Provides new or already seen information
 - Each query is assessed with respect to the dimensions of Relevance, Peculiarity, Surprise, and, Novelty

Importance of Interestingness Assessment

- A-priori evaluation of query Interestingness
 - Selecting queries of high interest out of many candidates for further processing
- A-posteriori evaluation of query Interestingness
 - Analyzing the results of the most interesting queries that have been already executed

- <u>Related Work</u>
- Multidimensional Data Space
- Interestingness
 - Novelty
 - Relevance
 - Peculiarity
 - Surprise
- Experimental Results
- Conclusion

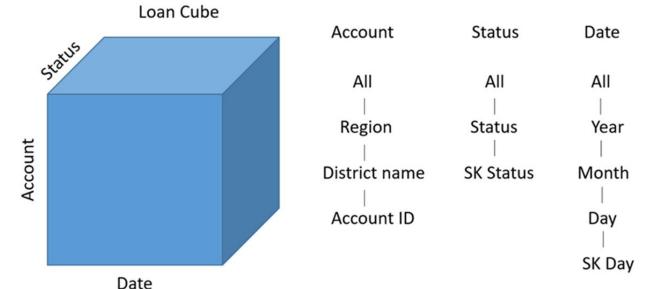
Related Work

- EDA systems use Interestingness dimensions as metrics, in order to score the insights/highlights/findings that they extract
 - Peculiarity attracts the most attention different data are more intriguing
 - Novelty is used in order to guarantee that data are new, and move further the exploration
 - Relevance is used in order to characterize data based on how familiar is the user with them
 - Surprise characterizes values that are not shown frequently or challenge user's prior beliefs
- Cell Interestingness is well addressed, but not enough. We need to assess cube query Interestingness before the query execution too

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Multidimensional Data Space

- We focus on multidimensional, hierarchical data organized in cubes
- Cubes are relevant to the problem, simple, and information-rich
- Cubes are formed in multidimensional spaces, produced by combinations of dimensions and store measures in their cells



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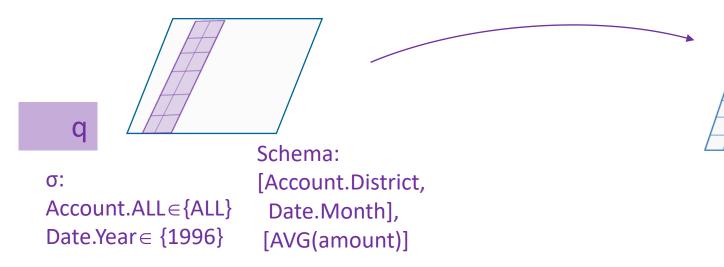
Cube Queries

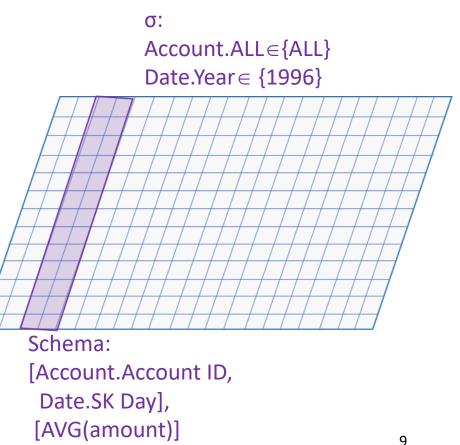
- Dimensions provide context for measures and consist of levels, organized in hierarchies of granularity
- A cube query is a cube too, is specified by
 - a cube over which it is applied,
 - a selection condition, ϕ , a composition of atomic filters for the cube cells,
 - the grouping levels, which determine the detail of the result, and
 - an aggregation over the cube measures

$$q = \langle C^0, \phi, [L_1, ..., L_n, M_1, ..., M_m], [agg_1(M_1^0), ..., agg_m(M_m^0)] >$$

Detailed Area of Cube Queries

- Detailed Area is the representation of the cells of a query result, in the most detailed levels of their respective dimensions
- A detailed area can be used as common ground for the comparison of cells of different queries that initially were in different levels of detail





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Interestingness

- A generic term indicating the extent to which a piece of information is interesting
- Not a single entity, or metric but rather a vector of scores along several dimensions.
 - Relevance: the extent to which a new piece of information (here: the results of the query) are related to the overall information goals, of the user.
 - Surprise: the extent to which the result of the query contradicts, revises, updates the user's prior beliefs.
 - Novelty: the extent to which the information presented to the users is new, and previously unseen to them.
 - Peculiarity: the extent to which the query is different, and not in accordance with the previous queries of a session or history.

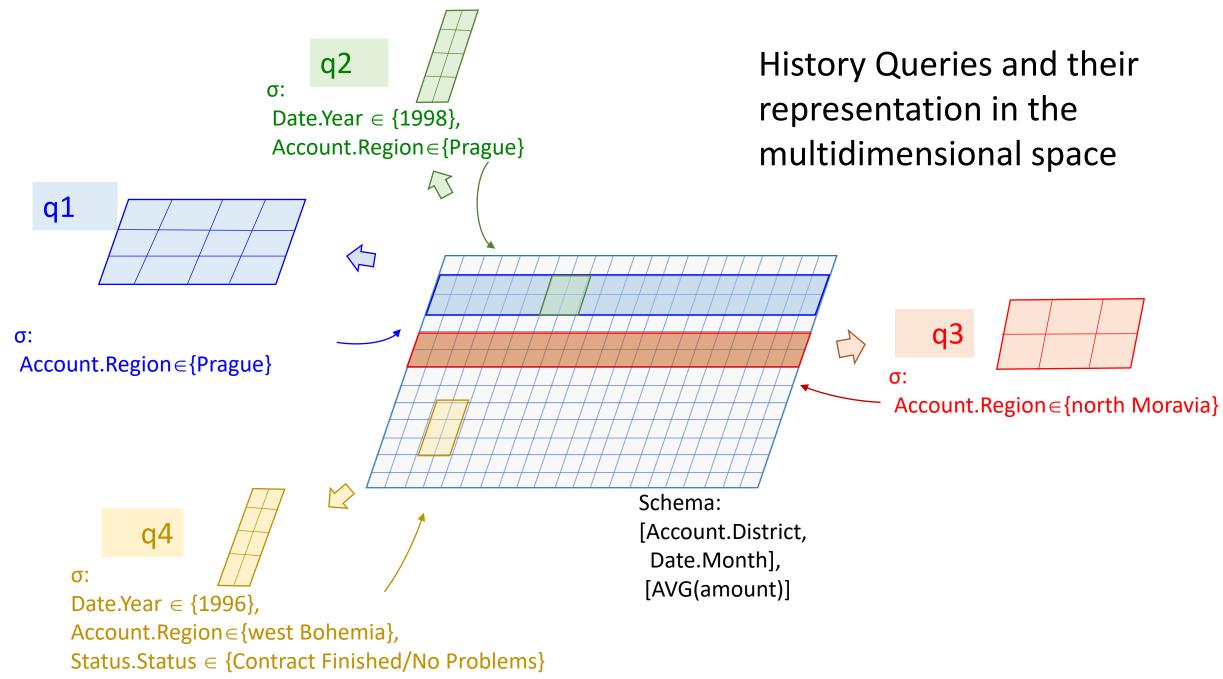
Terminology

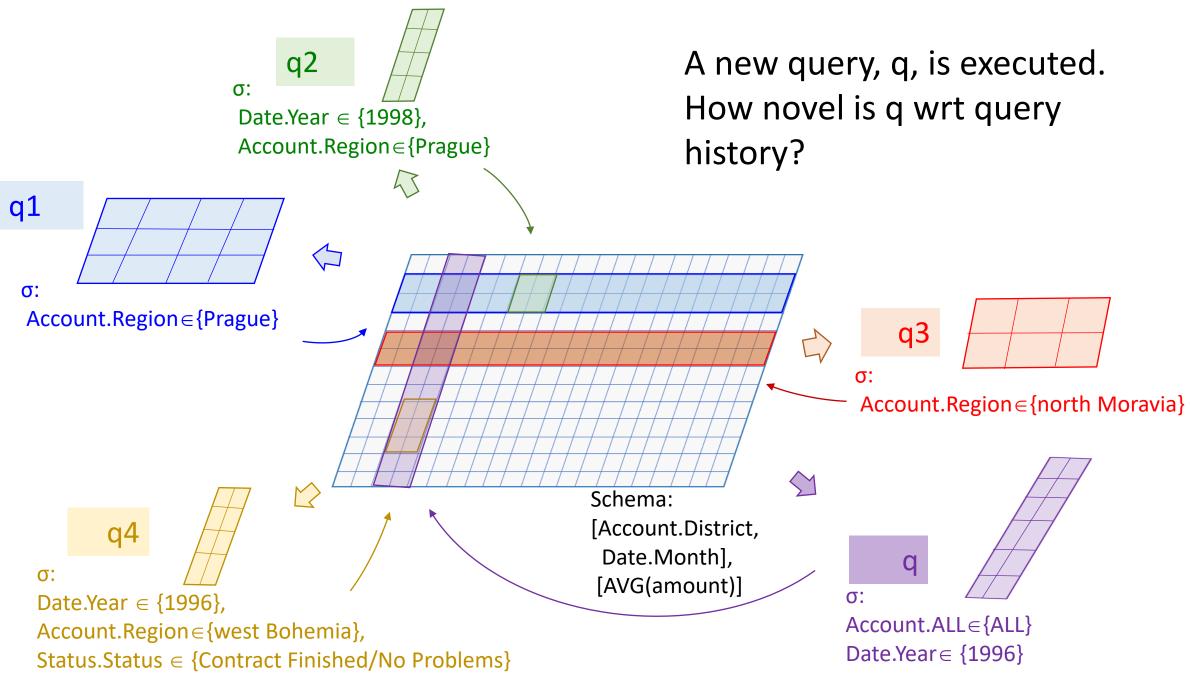
- Syntactic vs Extensional Assessment: The first is based only on query definition, the second includes the cells of the result
- Same Level vs Detailed Assessment: The first occurs when two assessed cubes are at the same level of aggregation, the second uses their most detailed levels of aggregation as common ground in order to compare their cells
- Full vs Partial Assessment: The first means that the results of the assessment will include a true/false answer, while the second returns a real number in [0.0-1.0]

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Novelty

- Novelty assesses the amount of previously unknown information produced by a query.
- Novelty is mostly related (a) to query history, and (b) to registered values for beliefs with confidence below a certain threshold.

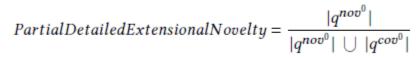


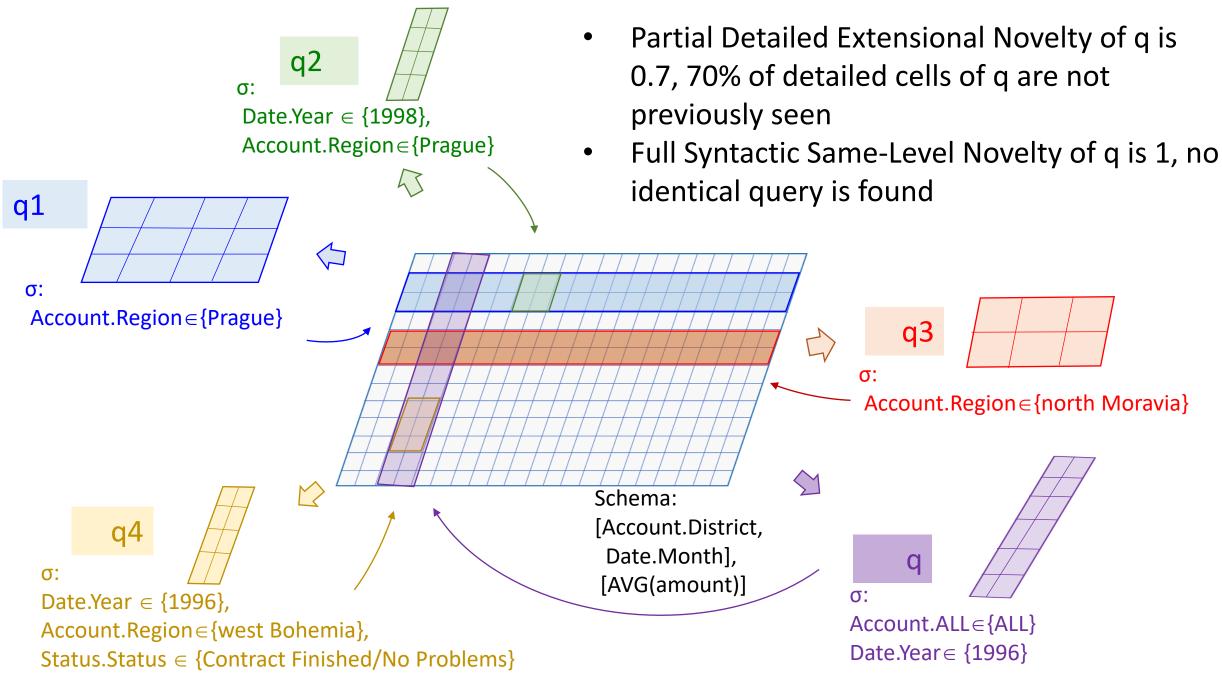


Novelty in the presence of query history

- Assessing the novelty of a cube query q assuming a query history Q = {q1, ..., qn} exists.
- Detailed Assessment of Novelty
 - Partial Detailed Extensional Novelty. The fraction of the detailed cells of q, which are not covered by the detailed areas of history queries, over the entire detailed area of q.
- Same-Level Assessment of Novelty
 - Full Syntactic Same-Level Novelty. If a query with identical syntax with q is found in the query history, the algorithm returns 0 (not novel), otherwise returns 1.

```
Algorithm 1: Cell-based extensional enumeration of
 covered detailed cells
   Input: A query q; the query history Q expressed as a set
           of queries q_i
   Output: The subset of the cells of q^0, say q^{cov} that are
             also part of the union of the results of the
             queries in Q, i.e., the union of q_i^0, and its
             complement qnov
 1 begin
       produce q^0.cells
       produce q_i^0 cells for all q_i
       populate the hashmap(cell signature) Q^0 \leftarrow
        \bigcup_i q_i^0.cells
       a^{cov^0} \leftarrow \emptyset
 5
       a^{nov^0} \leftarrow q^0.cells
       forall c^0 \in q^0.cells do
           if c^0 \in Q^0 then
                remove c^0 from q^{nov^0} and add it to q^{cov^0}
 9
           end
10
11
       end
       return q^{cov^0}, q^{nov^0}
12
13 end
```





Novelty in the presence of user's beliefs

- There is no explicit knowledge about the query history
- We have beliefs, estimations of probabilities about the distribution of values for some cells
- For example, assume the user beliefs:
 - $p(sales \in [100..200) | city = Athens, year = 2020) = 30\%$
 - $p(sales \in [80..100) | city = Athens, year = 2020) = 70\%$
- For these probabilities, we set a threshold Π (e.g., Π =50%)
- Estimations of probabilities that exceed or are equal to Π are named Πknown

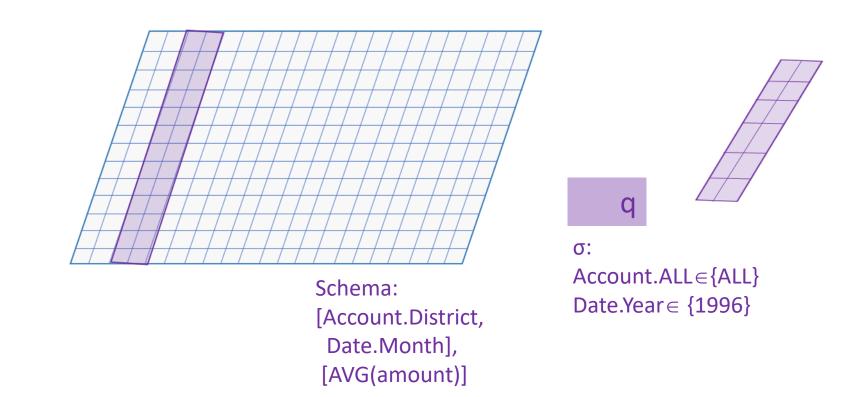
Novelty in the presence of user's beliefs

- Cells that are covered by a Π-known belief are considered "known"
- Partial Detailed Extensional Belief Novelty. When a detailed cell of q is also "known" is considered not novel. Belief Novelty is expressed by the ratio of the detailed, not covered (i.e., novel) cells of q over the entire detailed area of q.

Algorithm 2: Partial Extensional Detailed Belief-Based Enumeration Of Covered Cells **Input:** A query q; a set of beliefs B over a set of cells C^B at the most detailed level; a threshold Π for deciding if a cell is eligible for being novel **Output:** The subset of the cells of q^0 , say q^{cov^0} that are also part of the space the beliefs cover, as well as its complement qnov 1 begin produce q^0 .cells $a^{cov^0} \leftarrow \emptyset$ 3 $q^{nov^0} \leftarrow q^0$.cells 4 $C^{\star} \leftarrow$ the subset of C^B for which there exists a known belief, i.e., $\{c \mid c \in C^B, \exists p(M \in m|c) \in B, p(M \in m|c) \ge \Pi\}$ forall $c^0 \in q^0$.cells do 6 if $c^{0^+} \in C^{\star^+}$ then 7 remove c^0 from q^{nov^0} and add it to q^{cov^0} 8 end 9 end 10 return q^{cov^0}, q^{nov^0} 11 12 end

Novelty in the presence of user's beliefs

• The Belief Novelty for the query q of the previous example is 0.97, indicating high novelty based on the user's beliefs



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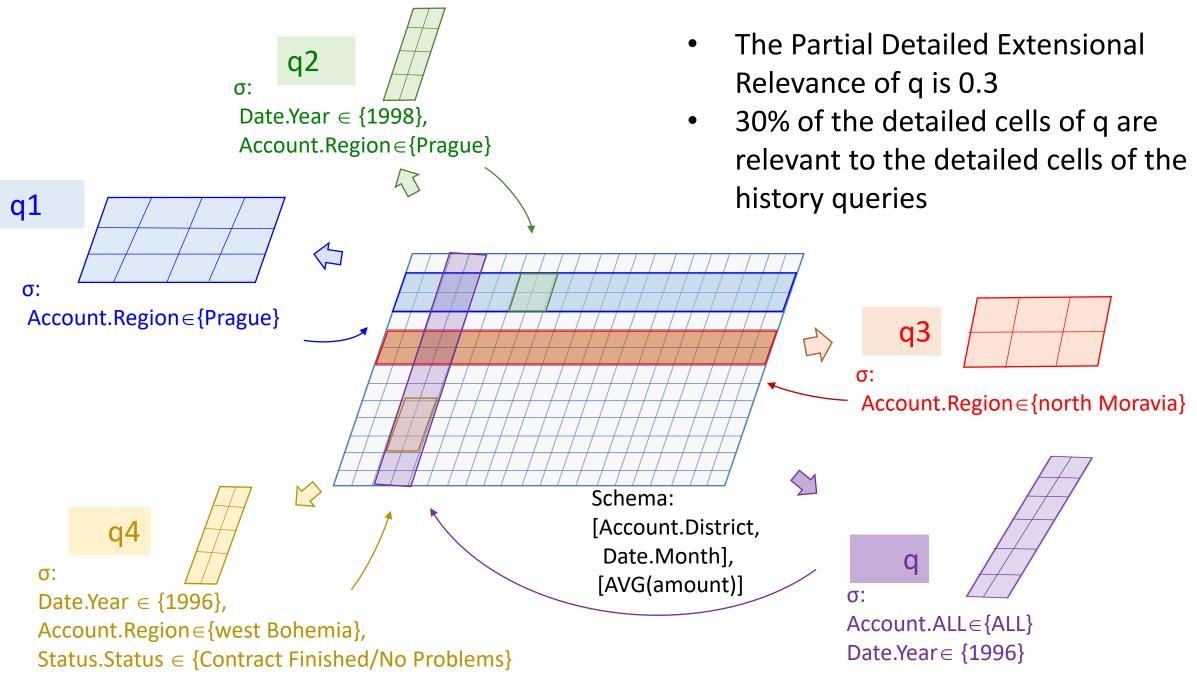
Relevance

- Relevance is a dimension that pertains to retaining focus towards a specific information goal (or a set of them)
- In the case where the goal is given by user, Relevance is calculated simply by comparing an under-question query and the user-specified goal
- In the case where the goal is not given, the goal has to be inferred from collateral profile information
 - We use the query history $Q = \{q1, \ldots, qn\}$ which provides a space of data already seen in the session and which are therefore considered relevant to the current querying session

Relevance in the absence of information goal

• Partial Detailed Extensional Relevance. The algorithm returns the fraction of the detailed cells of q, which are covered (therefore, relevant) by the detailed areas of history queries, over the total detailed cells of q.

 $PartialDetailedExtensionalRelevance = \frac{|q^{cov^0}|}{|q^0|}$



Relevance in the absence of information goal

- Partial Same Level Extensional Relevance. In the case that, the underquestion query q and some queries in Q are in the same level, the algorithm performs a partial check between the cells of q and the cells of the history queries with the same level with q and returning the ratio of the cells of their intersection to the total number of q cells.
- Both Detailed and Same Level Relevance algorithms have Syntactic equivalents, that compare queries syntax, not cells of their results.

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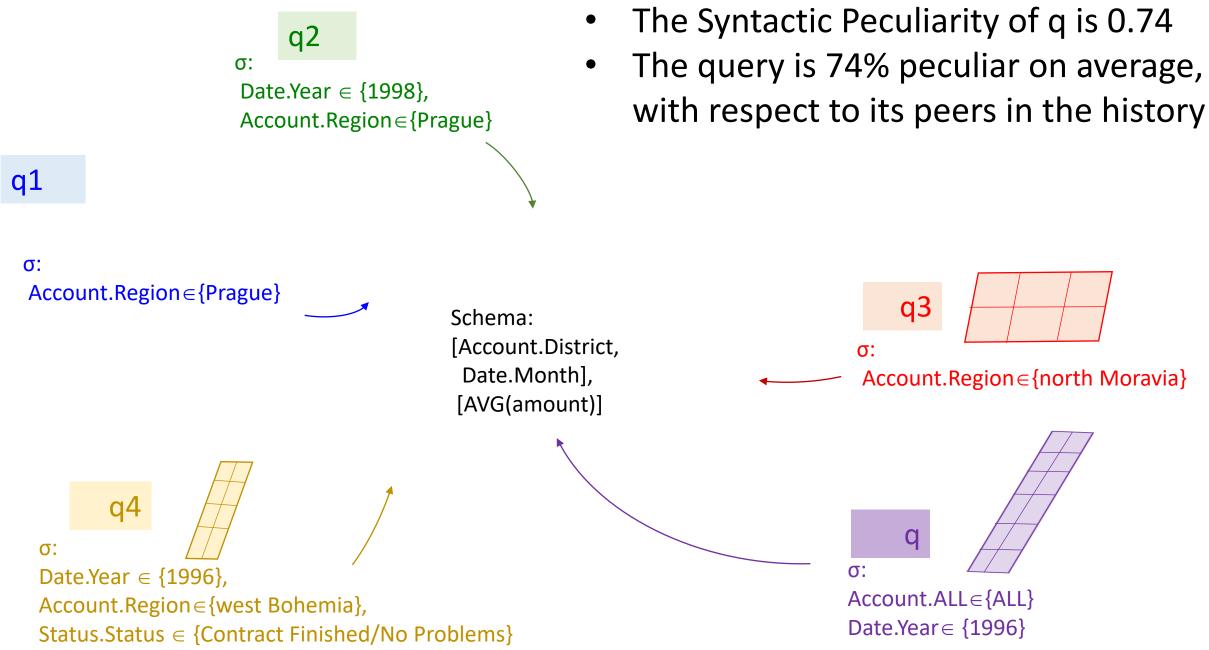
Peculiarity

- Peculiarity is evaluated in discriminating a particular query from its peers in the history $Q = \{q1, \ldots, qn\}$.
- Syntactic Peculiarity
 - Partial Syntactic Average Cube Peculiarity measures the peculiarity of a query q by measuring its distance to the queries of Q by pairwise checking their syntactic distance.
 - The syntactic distance of two queries is expressed by the weighted sum of structural distances between their selection conditions, their grouping levels, and their measures

$$\delta(q^a,q^b) = w^\phi \delta^\phi(q^a,q^b) + w^L \delta^L(q^a,q^b) + w^M \delta^M(q^a,q^b)$$

Syntactic Peculiarity

- In our implementation, we use average in order to measure the distance
- We measure the average distance of each query structure to the respective structure of all the queries in Q
- The total structural distance is the weighted sum of all structural distances between q and Q
- We use 0.5 as selection condition weight, 0.35 as grouping levels weight and 0.15 as measure weight

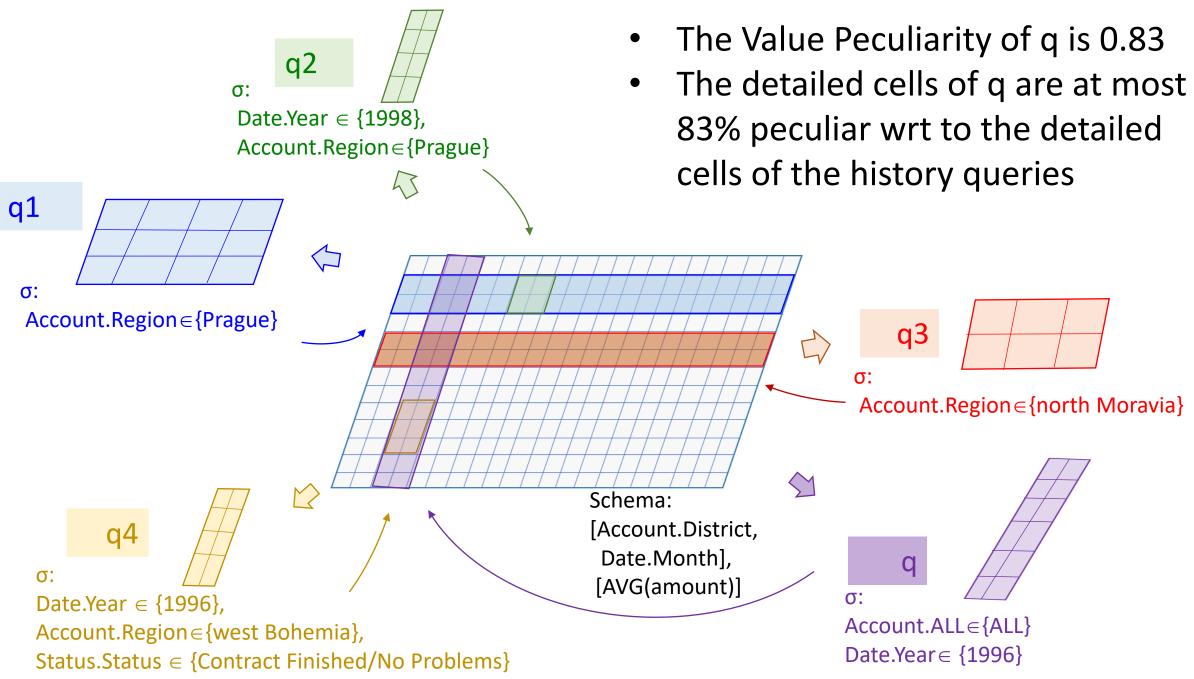


Value Peculiarity

Value Peculiarity

- Partial Extensional Detailed Value-Based Peculiarity. We compute the Value Peculiarity as k-th element of a sorted list, which contains the Jaccard distances of the detailed area of the under-question q to the detailed areas of the queries of Q
- In our implementation, we return the 1st element of the list, the element with the maximum distance -> maximum Peculiarity

Algorithm 3: Partial Extensional Detailed Jaccard-Based (Value-based) Cube Peculiarity **Input**: A new query q, the query history Q, and an integer k for picking the k-th neighbour Output: the PartialExtensionalDetailedJaccard-BasedCubePeculiarity valueBasedPeculiarity(q|Q)1 begin Let $L = \emptyset$ a list of Jaccard distances 2 Compute q^0 , i.e., the detailed area of interest for the 3 query qforall $q_i \in Q$ do 4 Compute q_i^0 , i.e., the detailed area of interest for 5 the query q_i Compute the Jaccard distance $JD_i = 1 - \frac{|q_i^0 \cap q^0|}{|q_i^0| + |q_i^0|}$ 6 add ID_i to L 7 end 8 L_s = Sort L ascending into a sorted list 9 return peculiarity $(q|Q) = L_s[k]$ 10 11 end



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Surprise

- Surprise depends on prior beliefs, evaluating how far from the prior beliefs of the analyst do the actual values lie.
- For each cell, c, we have (a) its actual value *m*, and, (b) an expected value *m_e*.
- Surprise(c) = | m m_e|

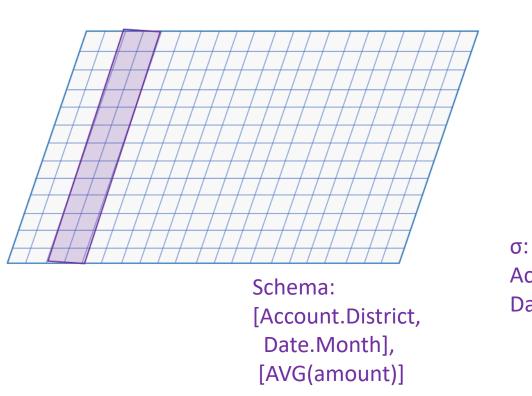
Surprise

- Partial Extensional Value Based Surprise returns the average cell surprise for the query
- The algorithm computes the absolute distance for each cell of the query, between the actual and the expected value (if exists), sums up all the cell surprises and divides it with the number of cells that had an expected value.

Algorithm 4: Value-based surprise assessment for a single measured cube by absolute distance for expected values and averaging of cell surprise **Input:** A cube *C* including a set of cells $\{c_1, \ldots, c_n\}$ with a single measure M, a set of expected values for each cell $E = \{m_1^e, \ldots, m_n^e\}$ Output: The (average) surprise carried by the cube C 1 begin countOfCellsWithSurprise = 0;2 C.surprise = 0;3 forall $c \in C$ do 4 c.surprise = null;5 if \exists an expected value $c.m^e$ for c.m then 6 $c.surprise = |c.m - c.m^e|;$ 7 countOfCellsWithSurprise + +; 8 C.surprise += c.surprise; 9 end 10 end 11 if $countOfCellsWithSurprise \neq 0$ then 12 C.surprise = 13 C.surprise/countOfCellsWithSurprise; else 14 C.surprise = null;15 return C.surprise; 16 17 end

Surprise

- The Value Surprise for the query q of the previous example is 0.08
- The average cell surprise of q is 8%





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Experimental Results

- For algorithms that use history, we assess their performance by increasing
 - The fact table size (100K, 1M, 10M tuples)
 - The history size (1, 5, 10 queries)
- We assess the performance of algorithms that use beliefs by increasing the result size of the executed query
- Performed on the Loan cube of the pkdd99_star database

All the code for the algorithms is available at our Delian Cubes Engine Github:

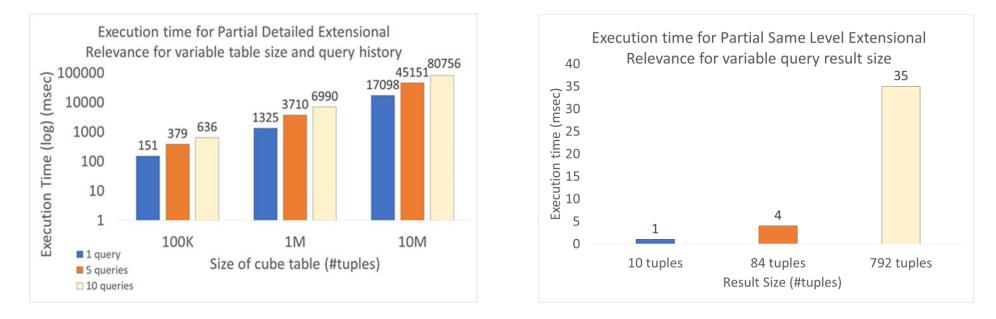
https://github.com/DAINTINESS-Group/DelianCubeEngine

Experiments for Novelty Algorithms



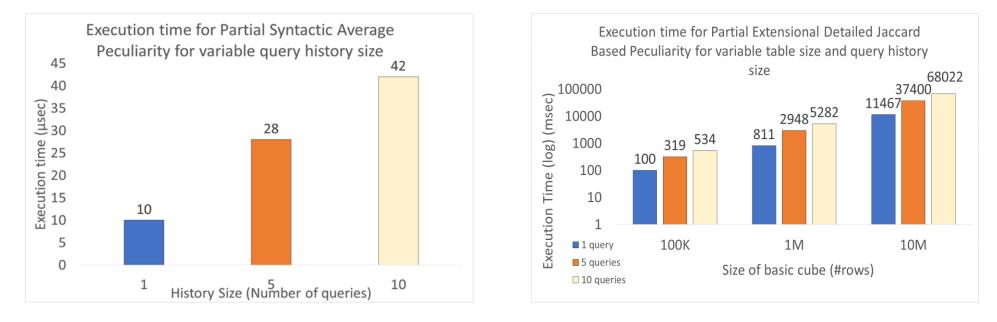
- Detailed Novelty's execution time is linear with respect to the table size and the query history size
- Belief Based Novelty's execution time is linear with respect to the table size
- Belief Based Novelty algorithm is faster because it does not calculate the detailed areas of all the history queries

Experiments for Relevance Algorithms



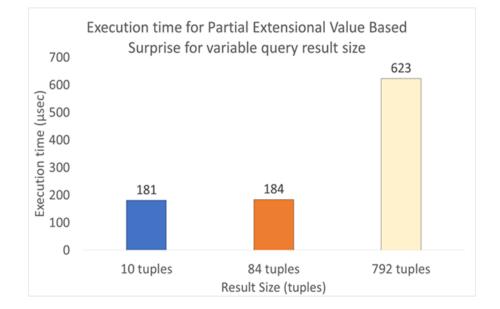
- Detailed Relevance's execution time is linear with respect to table size and query history size
- Partial Same Level Extensional Relevance's execution time is linear with respect to the result size
- Partial Same Level Extensional Cube Relevance is much faster because it does not calculate detailed areas at all

Experiments for Peculiarity Algorithms



- Syntactic Peculiarity's execution time is linear with respect to history size
- Value Peculiarity's execution time is linear with respect to the table size and to the history size
- Syntactic Peculiarity is faster because it simply performs syntactic comparison and does not calculate detailed areas

Experiments for Surprise Algorithm



- The theoretical linear increase with respect to the result size is not exactly achieved.
- We relate the variation of the execution time to the probability of hitting an expected value when the result size of the query is larger, which results in extra time for computing the surprise.

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Conclusion

- We have addressed the problem of assessing the interestingness of a cube query in the context of a hierarchical, multidimensional database
- We discussed 4 interestingness dimensions, Novelty, Relevance, Surprise and Peculiarity, and we have proposed specific algorithms for their assessment.
- We discriminate signature-based algorithms, before the query is executed (a-priori Interestingness) and result-based algorithms, after the query execution (a-posteriori Interestingness)
- Future work can include more algorithms towards the solution of the problem. Moreover, beyond our four interestingness dimensions, another notable dimension concerns the expression aspect, in which data are assessed for their fitness to the medium that is used to express them

Thank you!

All the code is available at our Delian Cubes Github:

https://github.com/DAINTINESS-Group/DelianCubeEngine

WE ALSO HAVE A LONG VERSION:

Dimos Gkitsakis, Spyridon Kaloudis, Eirini Mouselli, Veronika Peralta, Patrick Marcel, Panos Vassiliadis. Cube Interestingness: Novelty, Relevance, Peculiarity and Surprise

https://arxiv.org/abs/2212.03294

